

“Particle traps” at planet gap edges in disks: effect of grain growth and fragmentation

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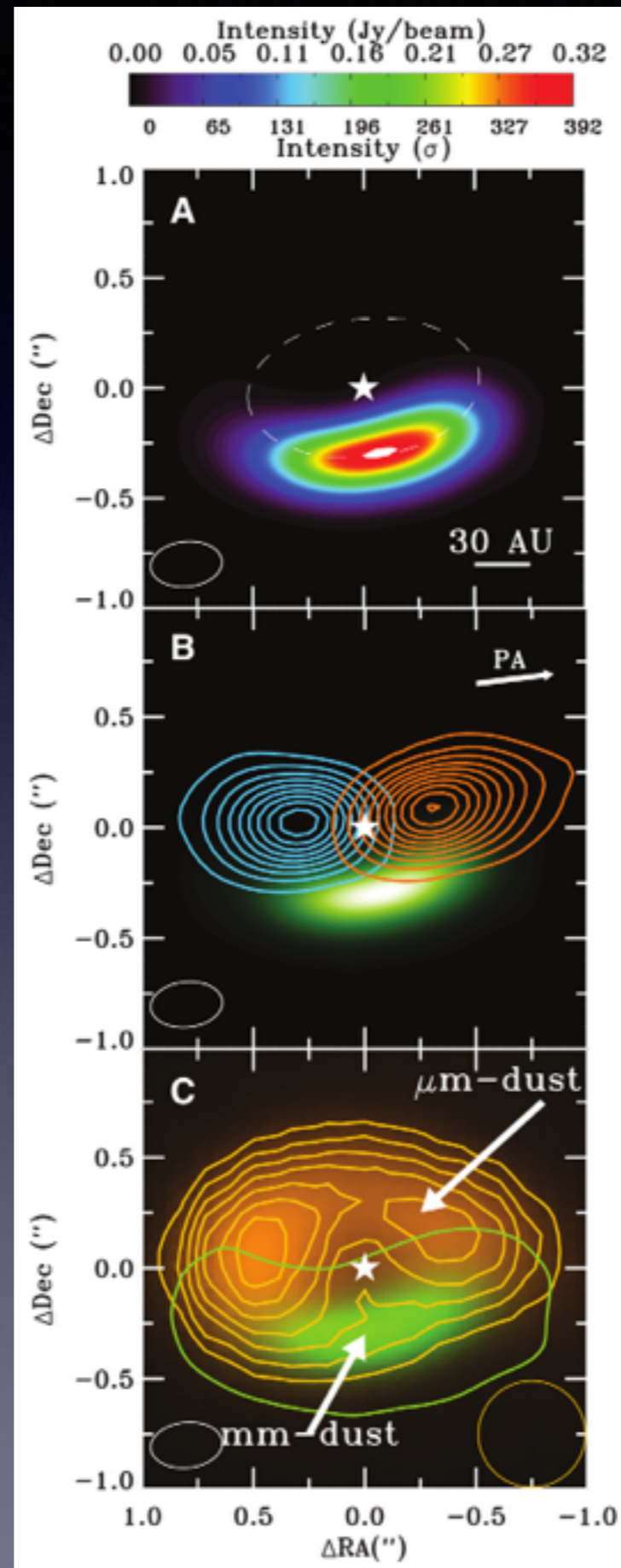
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Particle traps

- The barriers of planet formation
 - **Radial drift** $St = \Omega_k \rho_d s / \rho_g c_s = 1$
Weidenschilling (1977), Nakagawa et al. (1986), Birnstiel et al. (2010), Laibe et al. (2012,2014)
 - **Fragmentation**
Dullemond & Dominik (2005), Blum & Wurm (2008)
 - **Bouncing**
Zsom et al. (2010), Windmark et al. (2012)
 \Rightarrow can be overcome with stochastic motion
Garaud et al. (2013)
- Particle traps: possible solutions
 - **Vortices**
Barge & Sommeria (1995), Regály et al. (2012), Méheut et al. (2013)
 - **Snow line, dead zone inner edge**
Kretke & Lin (2007), Dzyurkevich et al. (2010), Flock et al. (this meeting)
 - **Planet gap edges**
Paardekooper et al. (2004), de Val-Borro et al. (2007), Fouchet et al. (2007,2010), Gonzalez et al. (2012)
 - **“Bumpy” gas surface density**
Pinilla et al. (2012)

ALMA observations of Oph IRS 48



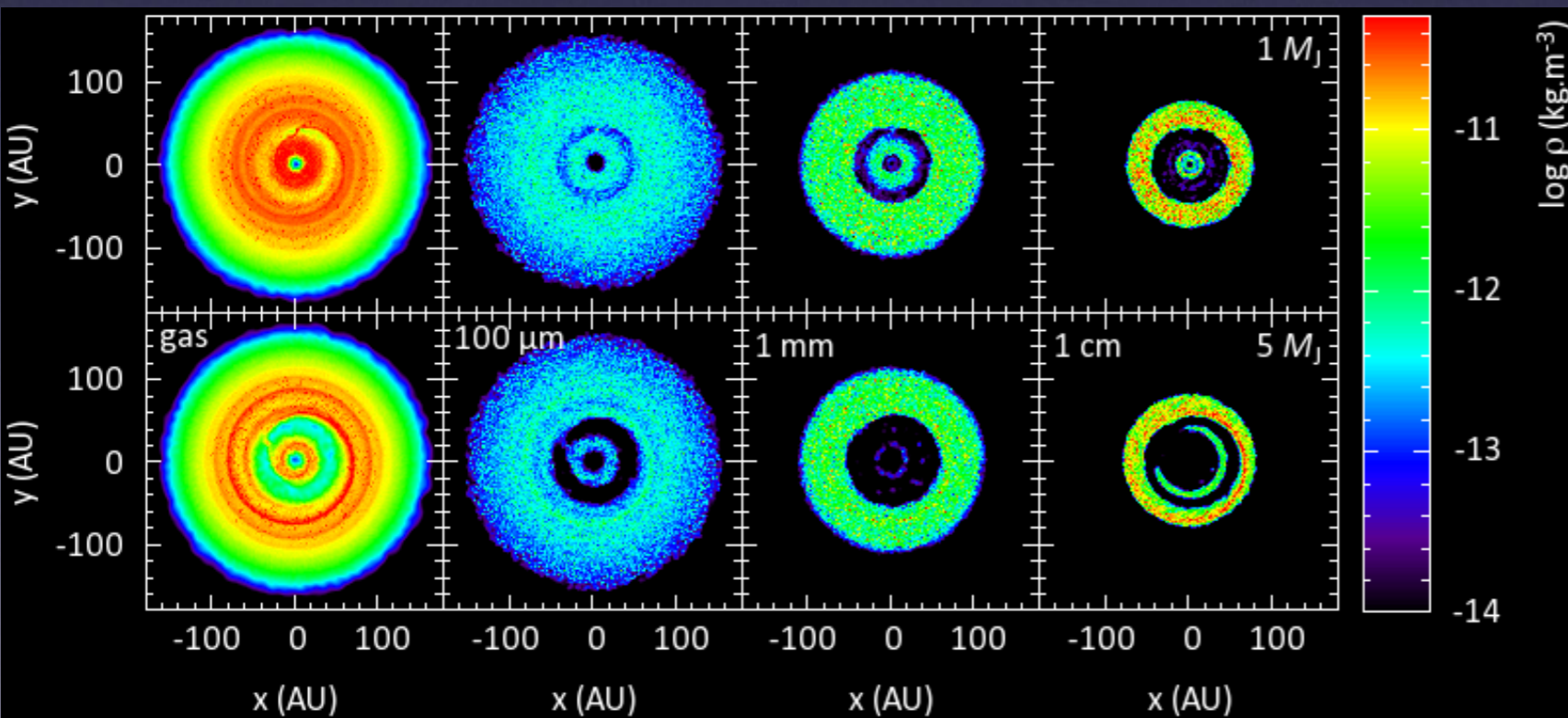
Grains of constant size

SPH 3D two-phase (gas+dust) simulations

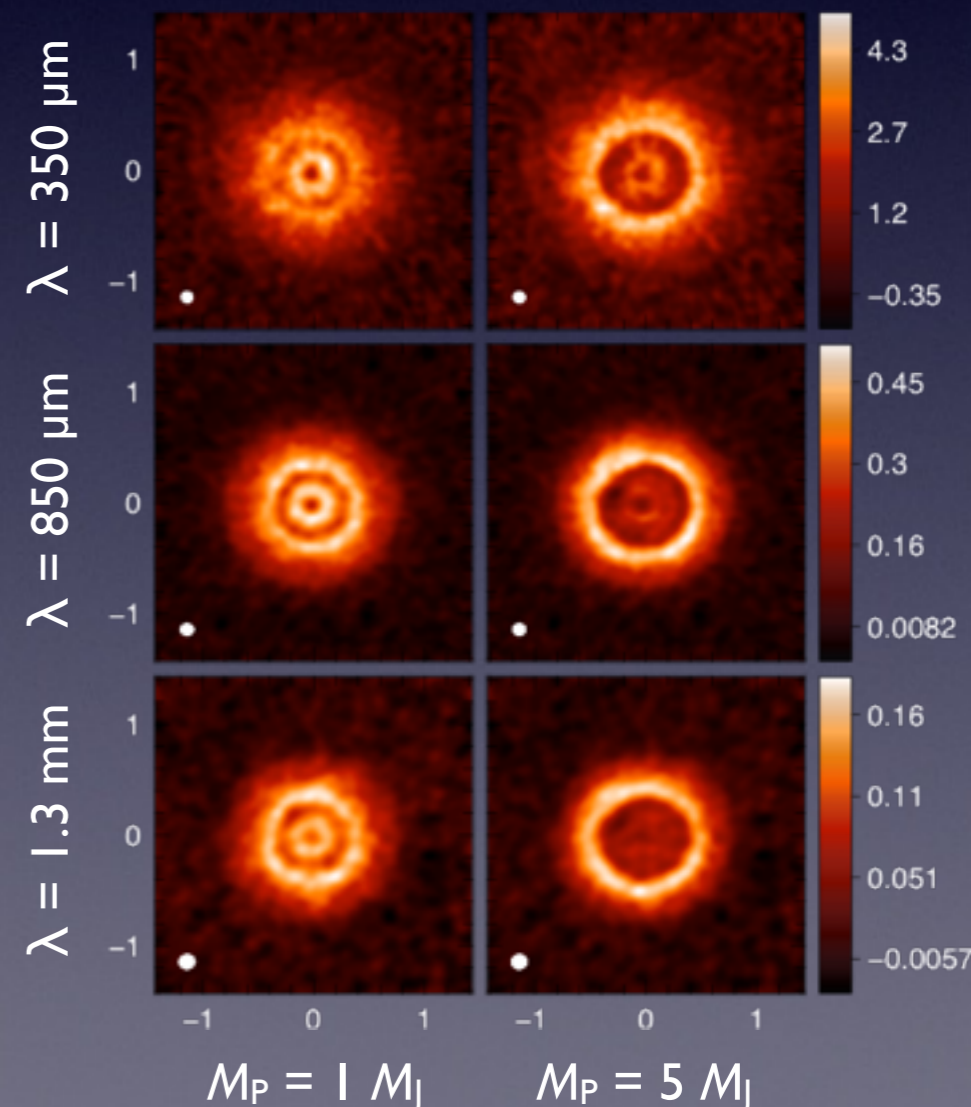
- **CTTS disk:** $M_{\star} = 1 M_{\odot}$, $M_{\text{disk}} = 0.02 M_{\odot}$
- **Planet:** $M_{\text{P}} = 1$ and $5 M_{\text{J}}$, $a = 40 \text{ UA}$
- **Initial dust/gas ratio:** 10^{-2}
- **Grain sizes:** $100 \mu\text{m}$, 1 mm , 1 cm

ALMA simulated images

$t = 1 \text{ h}$ $\theta = 0.10''$
 $d = 140 \text{ pc}$ $\delta = -23^{\circ}$



Fouchet et al. (2010)



Gonzalez et al. (2012)

Growth and fragmentation

- Growth model of Stepinski & Valageas (1997)

- Compact icy particles
- Perfect sticking

- Fragmentation threshold

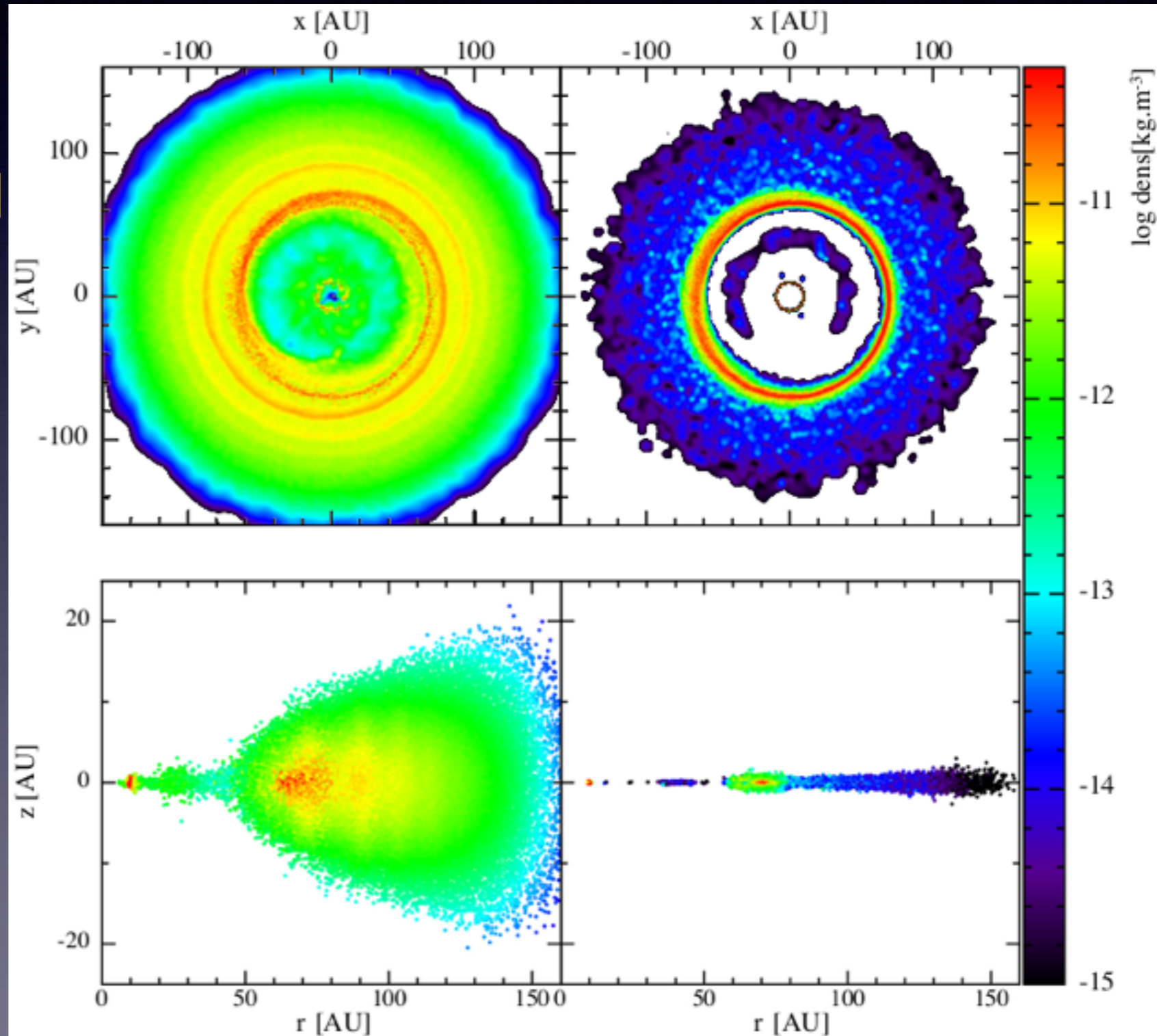
- $V_{\text{rel}} < V_{\text{frag}}$: growth
- $V_{\text{rel}} > V_{\text{frag}}$: shattering

- Initial grain size

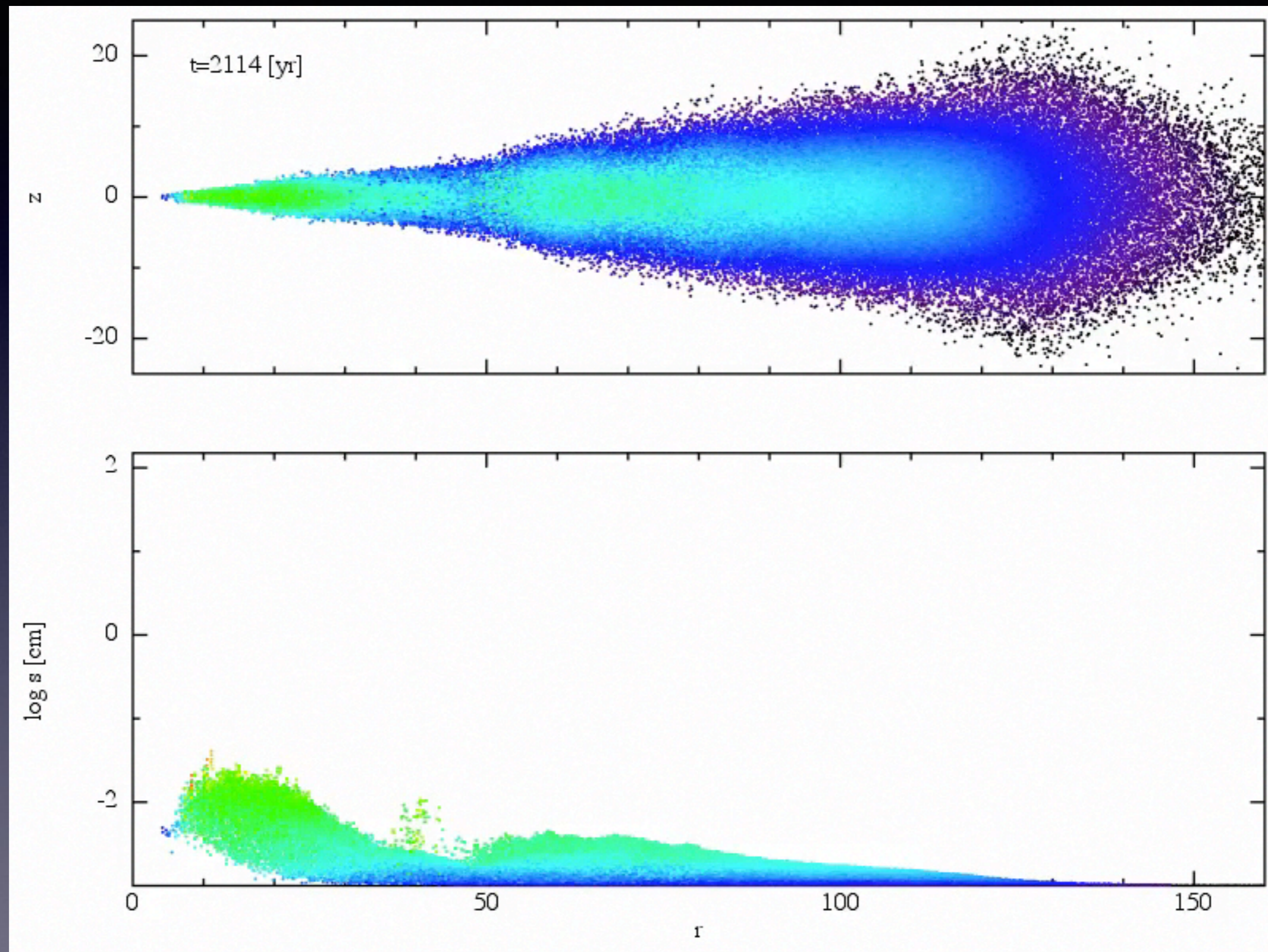
- 10 μm , uniform

- Same setup

- CTTS disk
- 5 M_J planet



Pure growth

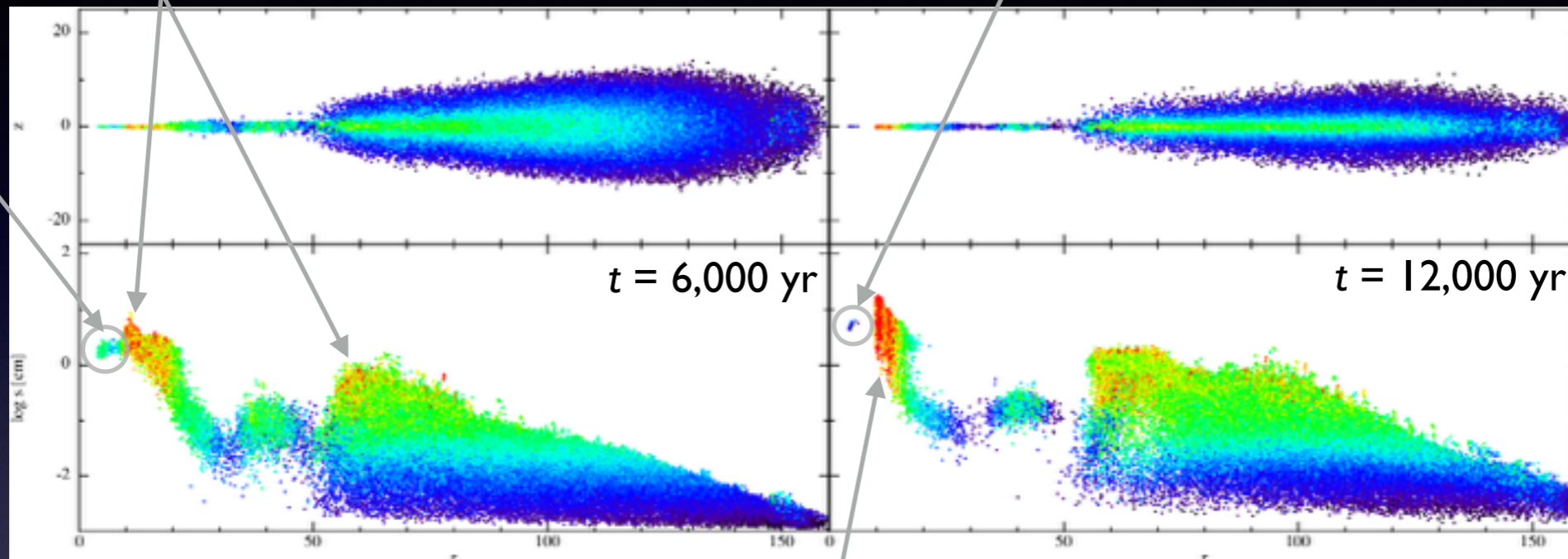


Pure growth

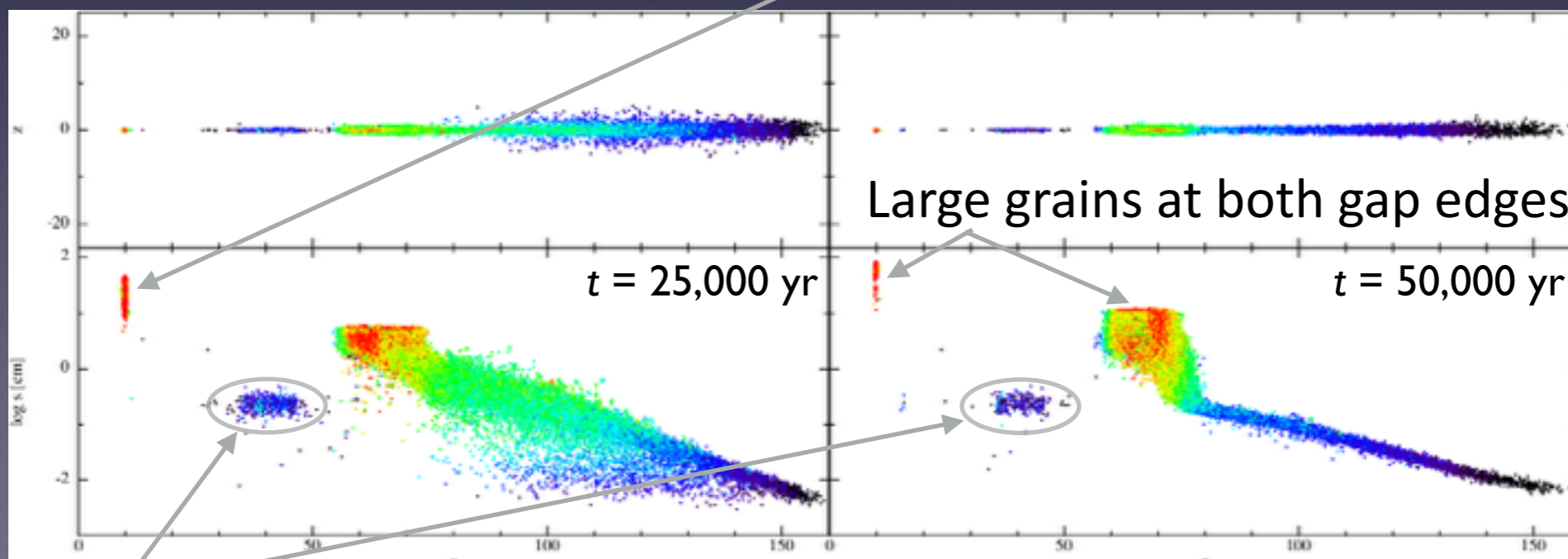
Grains having reached $St=1$ migrate rapidly towards the star

Efficient growth at the gap edges

Last grains lost to the star



After outgrowing $St=1$, grains are decoupled and grow without migrating



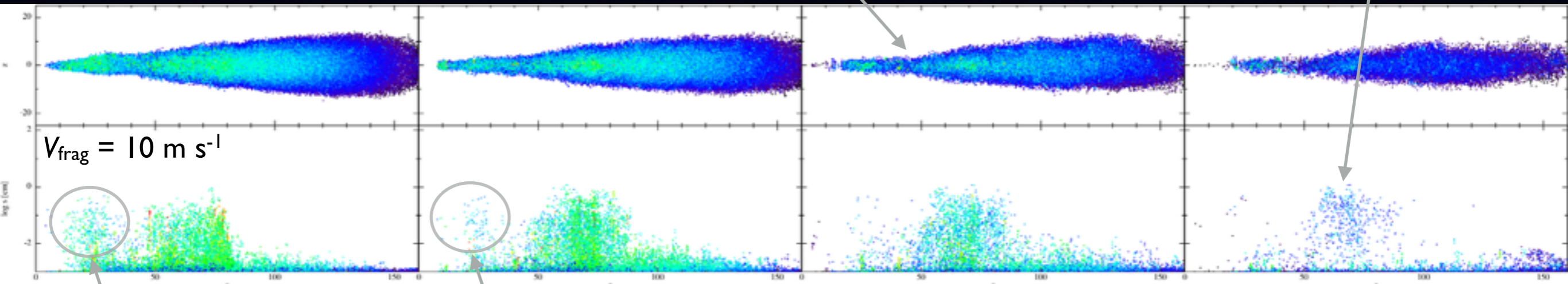
Large grains at both gap edges

Grains in corotation with the planet, on horseshoe orbits

Growth and fragmentation

Grains never decouple and follow the gas through the gap

The dust disk slowly drains out

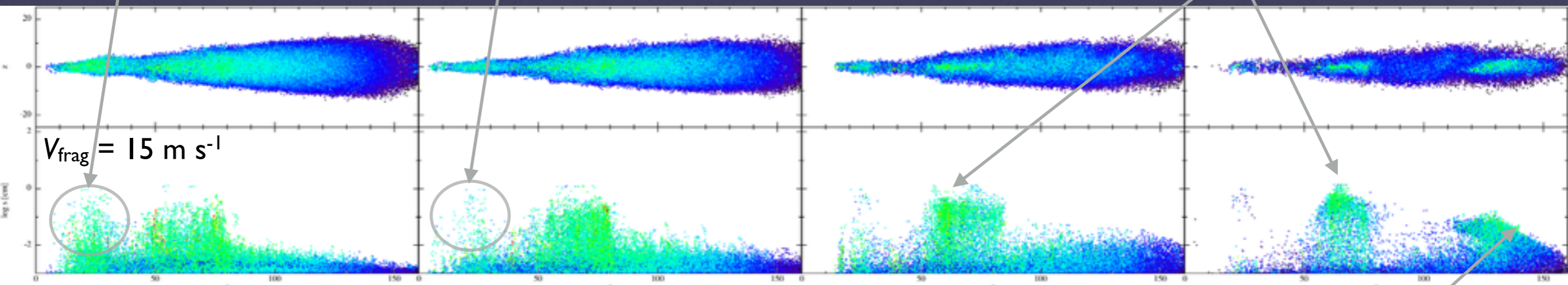


$V_{\text{frag}} = 10 \text{ m s}^{-1}$

Grains can't overcome the radial-drift barrier

The inner disk is lost to the star

Grains overcome $St=1$ at the outer gap edge and grow slowly



$V_{\text{frag}} = 15 \text{ m s}^{-1}$

Lower V_{rel} lead to slow growth

$t = 6,000 \text{ yr}$

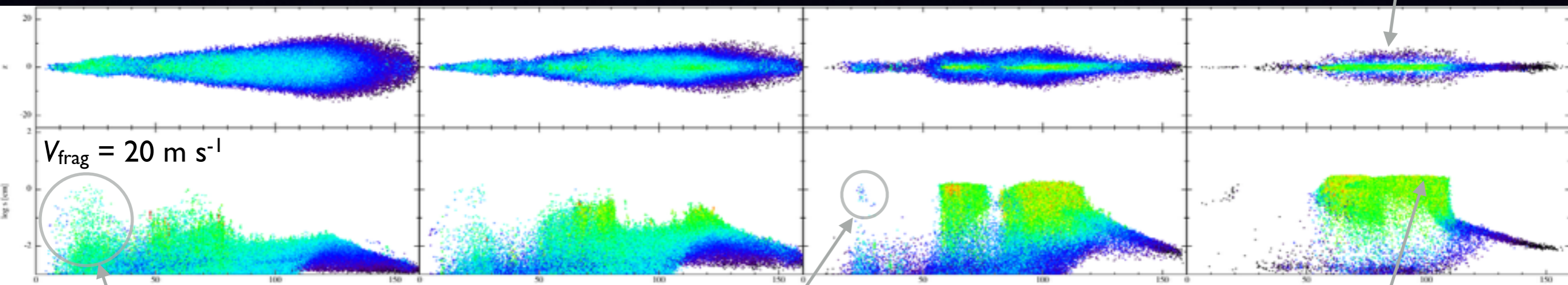
$t = 12,000 \text{ yr}$

$t = 25,000 \text{ yr}$

$t = 50,000 \text{ yr}$

Growth and fragmentation

Larger grains are more settled

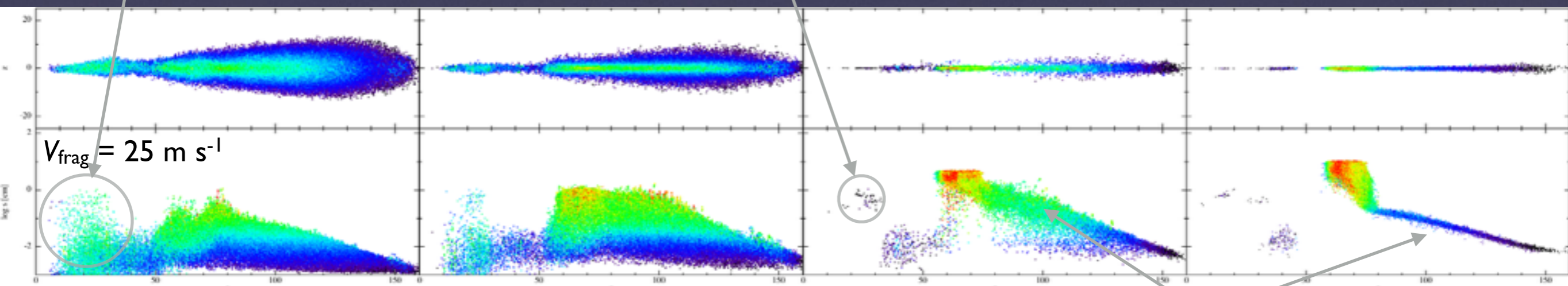


$V_{\text{frag}} = 20 \text{ m s}^{-1}$

Higher V_{frag} help to retain more grains

A small population of grains survive and grow in the inner disk

Growth is more efficient in the outer disk



$V_{\text{frag}} = 25 \text{ m s}^{-1}$

The outer disk is almost not affected by fragmentation

$t = 6,000 \text{ yr}$

$t = 12,000 \text{ yr}$

$t = 25,000 \text{ yr}$

$t = 50,000 \text{ yr}$

Summary

- Pure growth
 - Very efficient growth at both gap edges
 - Sizes > 10 cm
 - Gap edges: potential sites for the formation of additional planets
- Growth and fragmentation
 - Different growth behavior depending on radial location
 - Easier growth for larger V_{frag}
 - Low V_{frag} (considered in most studies)
 - \Rightarrow no significant growth past the radial-drift barrier

Conclusion

- Can grains really grow at V_{rel} above 20 m s^{-1} ?

⇒ **Yes!**

- **Porous** material

- $V_{\text{frag}} \sim 60 \text{ m s}^{-1}$ for icy aggregates but $\sim 6 \text{ m s}^{-1}$ for silicates

Wada et al. (2009)

- $V_{\text{frag}} > \sim 27 \text{ m s}^{-1}$ for cm-sized silicate aggregates

Meru et al. (2013)

- Mass transfer in **high-mass-ratio collisions**

- $V_{\text{frag}} \sim 60 \text{ m s}^{-1}$ for silicate aggregates

Teiser & Wurm (2009)

- $V_{\text{frag}} \sim 80 \text{ m s}^{-1}$ for icy aggregates but $\sim 8 \text{ m s}^{-1}$ for silicates

Wada et al. (2013)

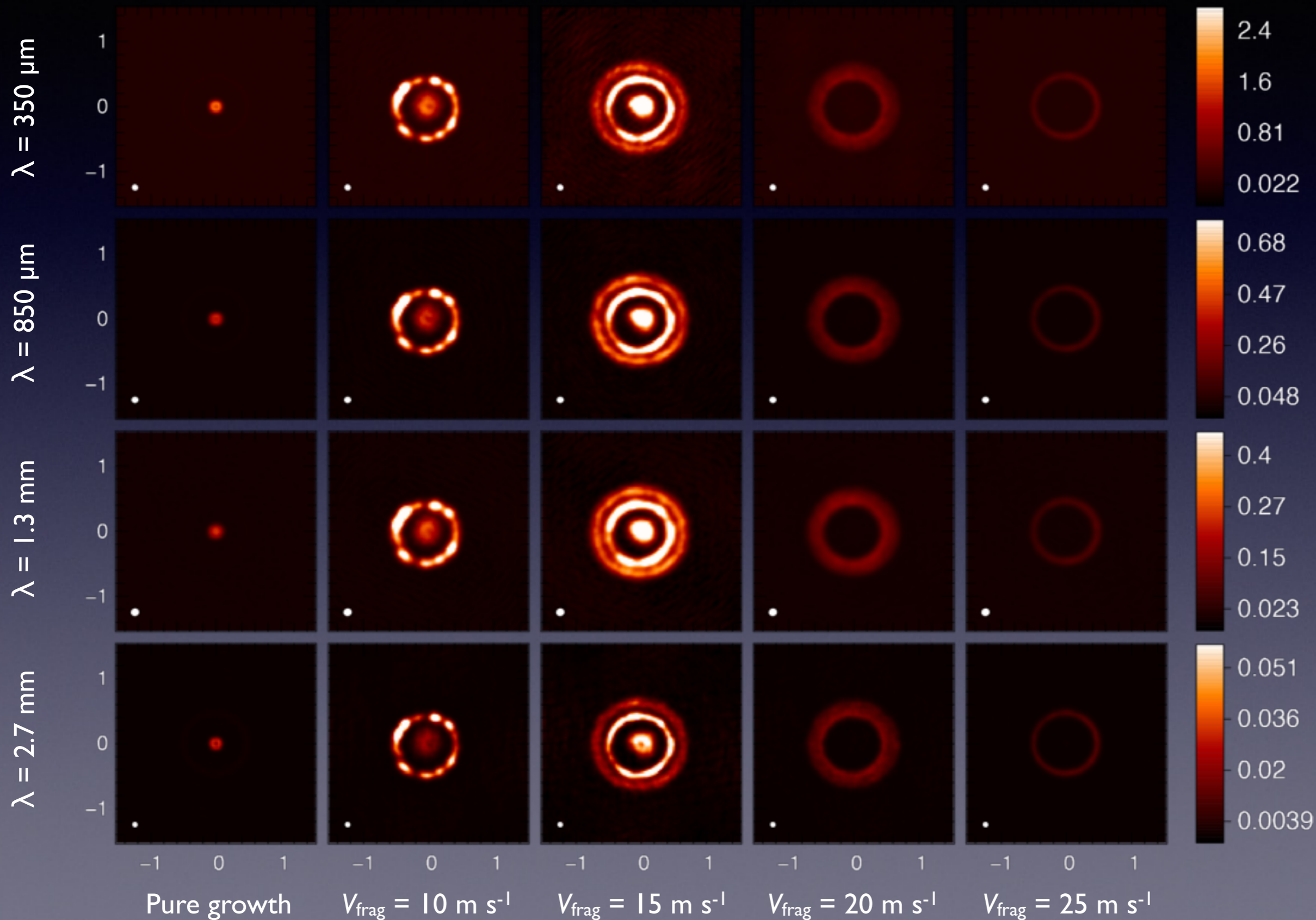
- Updated values of the **surface energies**

- $V_{\text{frag}} \sim 30\text{-}40 \text{ m s}^{-1}$ for silicate aggregates

Yamamoto et al. (2014)

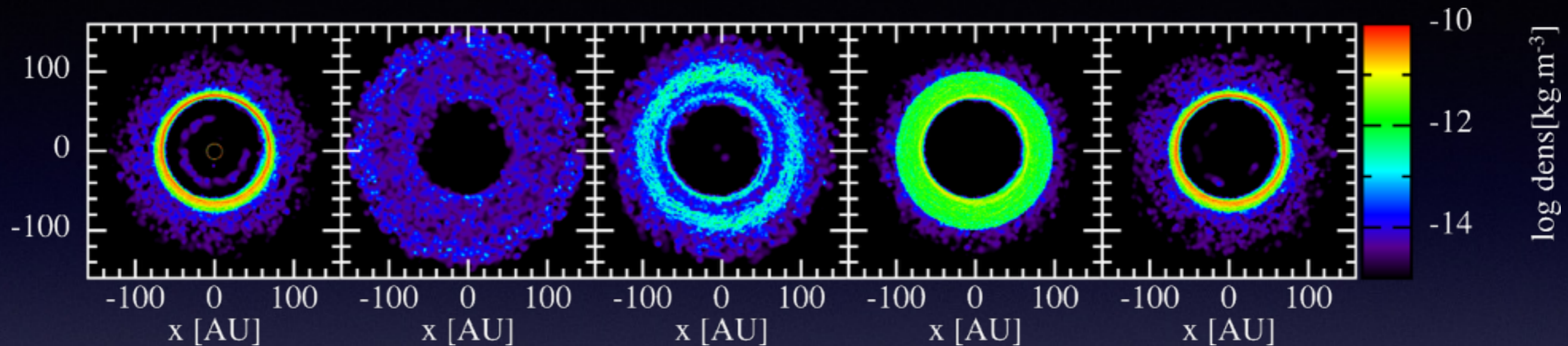
ALMA simulated images

$t = 1 \text{ h}$ $\theta = 0.10''$ $i = 18.2^\circ$ $d = 140 \text{ pc}$ $\delta = -23^\circ$

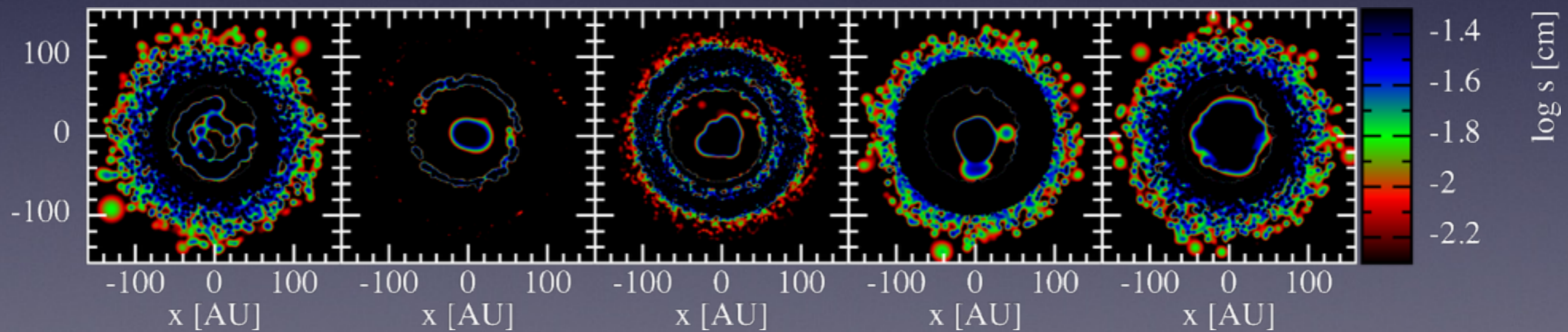


Contributions to images

Density



Grain size



Pure growth

$V_{\text{frag}} = 10 \text{ m s}^{-1}$

$V_{\text{frag}} = 15 \text{ m s}^{-1}$

$V_{\text{frag}} = 20 \text{ m s}^{-1}$

$V_{\text{frag}} = 25 \text{ m s}^{-1}$